

2014年薬学部(C日程)第1問

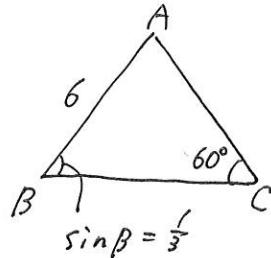


1 次の問いに答えよ。

- (1) $(xz + y)^2 - (x + yz)^2$ を因数分解せよ.
- (2) $\triangle ABC$ において, $\angle C = 60^\circ$, $\sin B = \frac{1}{3}$, $AB = 6$ のとき, AC を求めよ.
- (3) 正十五角形の内角の和を求めよ.
- (4) 不等式 $\sin^4 \theta - \sin^2 \theta \geq 0$ を解け. ただし $0^\circ \leq \theta < 180^\circ$ とする.
- (5) $\sqrt{28 - 3\sqrt{12}}$ の整数部分を求めよ.

$$\begin{aligned}
 (1) (\text{左式}) &= \{(xz + y) + (x + yz)\} \{(xz + y) - (x + yz)\} \\
 &= \{x(z+1) + y(1+z)\} \{x(z-1) + y(1-z)\} \\
 &= (x+y)(z+1)(z-1)(x-y) \\
 &= \underline{\underline{(x+y)(x-y)(z+1)(z-1)}}
 \end{aligned}$$

$$(2) \text{ 正弦定理より } \frac{6}{\sin 60^\circ} = \frac{AC}{\frac{1}{3}}.$$



$$\therefore \frac{\sqrt{3}}{2} AC = 2 \quad \therefore AC = \frac{4\sqrt{3}}{3}$$

$$(3) 180^\circ \times (15-2) = \underline{\underline{2340^\circ}}$$

$$\begin{aligned}
 (4) \sin^2 \theta (\sin^2 \theta - 1) \geq 0 &\quad 0^\circ \leq \theta < 180^\circ \text{ より} \\
 \sin^2 \theta \geq 0 \text{ より}, \quad \sin^2 \theta - 1 \geq 0 &\quad \checkmark \quad \therefore \begin{cases} \sin \theta = 1 \\ \sin \theta = 0 \end{cases} \quad \therefore \underline{\underline{\theta = 90^\circ, 0^\circ}}
 \end{aligned}$$

$$(5) (\text{左式}) = \sqrt{28 - \sqrt{108}} = \sqrt{28 - 2\sqrt{27}} = \sqrt{27} - 1 = 3\sqrt{3} - 1$$

$$\sqrt{3} \approx 1.73 \text{ より}, \quad \text{整数部分は } 4$$